

1.1 Classifying Polynomials and Distribution

This year will be focused a lot on polynomials. In order to fully define a polynomial, there are some other terms that we will need to know as well.

Word	Definition
Coefficient	The number in front of the variable $2x$ $3x$ x <small>coefficient → ↑ coefficient = 1</small>
Constant	Just a number (no variable)
Term <small>ex: $2x^3$ 3</small>	number, variable, exponent * easy way to identify they're any one or all equal a term separated by + or -
Polynomial	many terms
Degree	Highest exponent in the expression <small>ex: $3x^4 + x + 2x^3$ Degree</small>

Polynomials come in many forms. In order to classify a polynomial, we look at two things: the number of terms and the Degree.
 * When writing classifications (type) Degree first, # of terms Second

One term: <u>monomial</u>	Degree 1: x or x^1 Linear
Two terms: <u>binomial</u>	Degree 2: x^2 Quadratic
Three terms: <u>trinomial</u>	Degree 3: x^3 Cubic
Four terms: <u>polynomial</u> <small>and above</small>	Degree 4: 4^{th} Degree Degree 5- 5^{th} Degree etc.

1) Identify the information for each polynomial. Then classify the polynomial.

a. $-10b - 1$

Coefficients: -10

Constants: -1

Number of terms: 2 "Binomial"

Degree: Linear

Classification: Linear, binomial

c. $-6x^5 - 8x^4 + 5x^3 - 10$

Coefficients: $-6, -8, 5$

Constants: -10

Number of terms: 4 (polynomial)

Degree: 5 or 5^{th} degree

Classification:

5^{th} degree, polynomial

b. $-2a^2 - 2a + 7$

Coefficients: $-2, -2$

Constants: 7

Number of terms: 3 or trinomial

Degree: Quadratic or 2^{nd} power

Classification: Quadratic, trinomial

d. $8y$

Coefficients: 8

Constants: No constant

Number of terms: 1 (monomial)

Degree: 1 (linear)

Classification: linear, monomial

Something that you will be asked to do a lot is to **simplify** an expression. Simplifying basically means that we are going to make the expression look nicer.

step to simplifying is to combine **like terms**, meaning same variable and same exponent.

★ **Standard form** - largest degree first \rightarrow to smallest and constant is always last

2) Simplify each expression.

a. $5x^2 + 2x - 3x^2 - 6x + 13$

$$2x^2 - 4x + 13$$

b. $k^4 + 12k - 4k^3 + 5k + k$

$$k^4 - 4k^3 + 18k$$

c. $6 - 7m + 8 + m^2$

$$m^2 - 7m + 14$$

d. $15n + 2n^2 - 8n - n^3 + 7$

$$2n^2 - n^3 + 7n + 7$$

$$-n^3 + 2n^2 + 7n + 7$$

Another tool to help us simplify is called the **distributive property**. To distribute a term is to multiply it by each term inside the parentheses.

3) Simplify each expression.

a. $9(1 - 8x)$

$$9 - 72x$$

b. $-9(9n + 8)$

$$-81n - 72$$

c. $4(-6(9a - 4))$

$$4(-54a + 24)$$

$$-54a + 28$$

d. $7(8 + 8k) + 1$

$$56 + 56k + 1$$

$$56k + 57$$

e. $4(p + 3) - 2(5p - 3)$

$$4p + 12 - 10p + 6$$

$$-6p + 18$$

f. $5(3 - 7x) - (1 - 6x)$

$$15 - 35x - 1 + 6x$$

$$-29x + 14$$